Ma

KEY STAGE

5-7

Mathematics test

Paper 1 Calculator not allowed

Please read this page, but do not open your booklet until your teacher tells you to start. Write your name and the name of your school in the spaces below.

First name	
Last name	
School	

Remember

- The test is 1 hour long.
- You **must not** use a calculator for any question in this test.
- You will need: pen, pencil, rubber and a ruler.
- Some formulae you might need are on page 3.
- This test starts with easier questions.
- Try to answer all the questions.
- Write all your answers and working on the test paper do not use any rough paper. Marks may be awarded for working.
- Check your work carefully.
- Ask your teacher if you are not sure what to do.

For marker's	Total marks	
use only	Total marks	

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Instructions

Answers



This means write down your answer or show your working and write down your answer.

Calculators

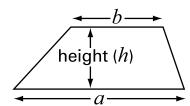


You **must not** use a calculator to answer any question in this test.

Formulae

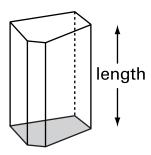
You might need to use these formulae

Trapezium



Area =
$$\frac{1}{2}(a+b)h$$

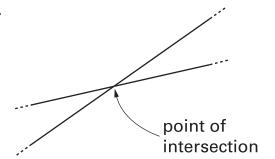
Prism



Volume = area of cross-section \times length

1. The diagram shows two straight lines.

Where the lines **cross** is called a **point of intersection**.



(a) Draw three straight lines that have only one point of intersection.



1 mark

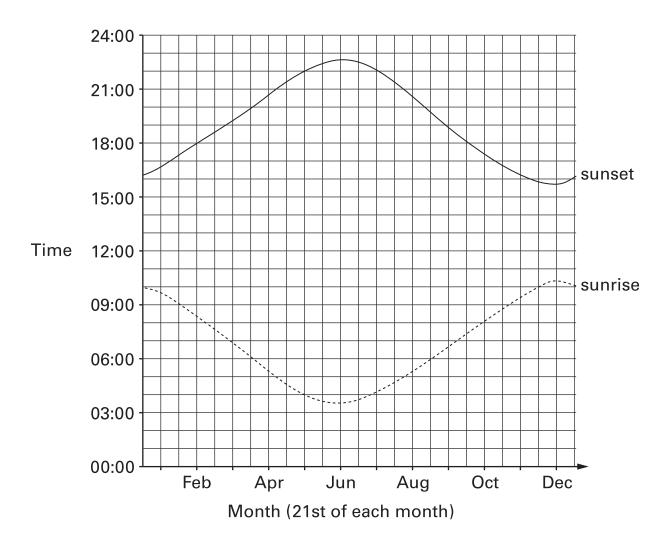
(b) Three straight lines have exactly two points of intersection.

Complete the sentence below.



Two of the lines must be

. . . 1 mark 2. The graph shows at what **time** the sun rises and sets in the American town of Anchorage.



The day with the **most** hours of daylight is called the longest day.

Fill in the gaps below, using the information from the graph.



The longest day is in the month of

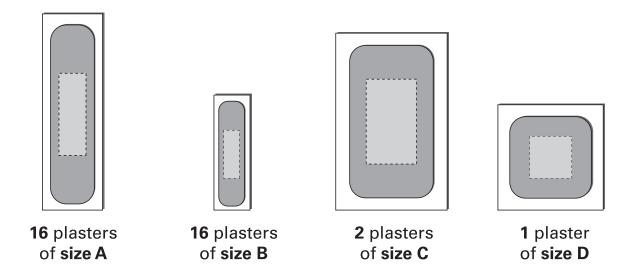
On this day, there are about hours of daylight.

The shortest day is in the month of

On this day, there are about hours of daylight.

3. I buy a box of different size plasters.

Assume each plaster is equally likely to be the top plaster inside the box.



Altogether there are **35** plasters.

I take the top plaster from inside the box.

(a) What is the probability that the plaster is of size D?



(b) What is the probability that the plaster is of size A?





1 mark

(c) What is the probability that the plaster is **not** of **size A**?



1 mark

. . . . 2 marks

4. You can buy a new calculator for £1.25

In 1979 the same type of calculator cost **22 times** as much as it costs now.



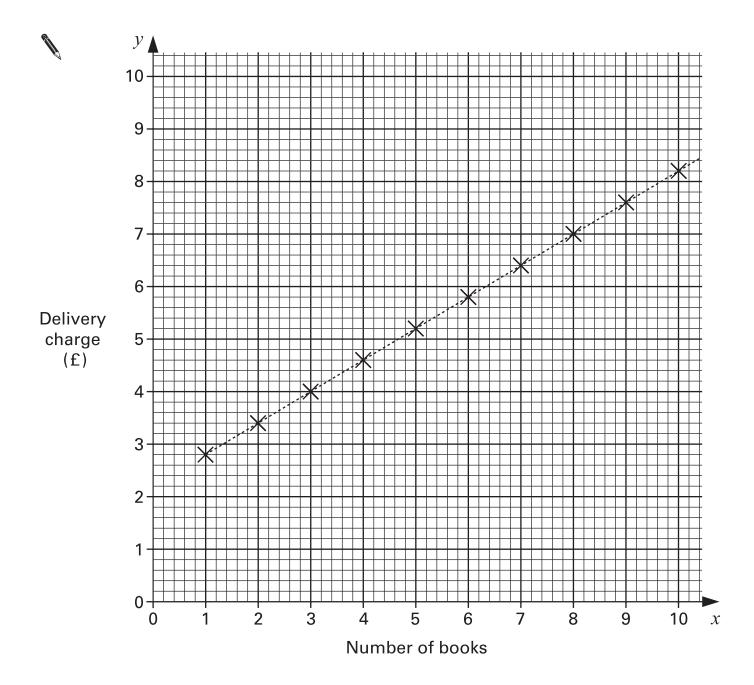
How much did the same type of calculator cost in 1979? Show your working.

£

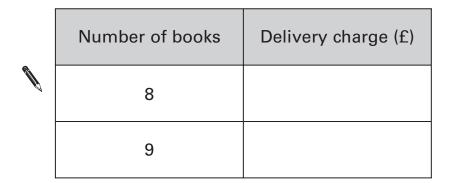


5. A company sells books using the internet.

The graph shows their delivery charges.



(a) Use the graph to fill in the values in this table.



. . . . 1 mark

(b) For every extra book you buy, how much more must you pay for delivery?



. . . . 1 mark

(c) A second company sells books using the internet.

Its delivery charge is £1.00 per book.

On the graph opposite, draw a line to show this information.

. . . . 1 mark

(d) Complete the sentence.



Delivery is cheaper with the first company

if you buy at least books.

. . . . 1 mark **6.** One way to make a magic square is to substitute numbers into this algebra grid.

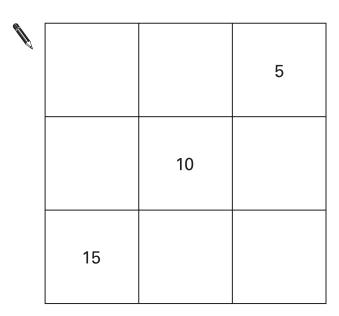
a + b	a-b+c	a – c
a-b-c	а	a+b+c
a + c	a+b-c	a – b

(a) Complete the magic square below using the values

$$a = 10$$

$$b = 3$$

$$c = 5$$



(b) Here is the algebra grid again.

a + b	a-b+c	a – c
a-b-c	а	a+b+c
a + c	a + b - c	a – b

I use different values for a, b and c to complete the magic square.

20	21	7
3	16	29
25	11	12

What values for a, b and c did I use?

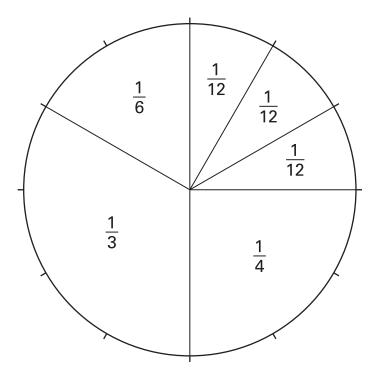
a =

h =

 $c = \dots$

. . . 2 marks

7. Look at this diagram.



The diagram can help you work out some fraction calculations.

Calculate

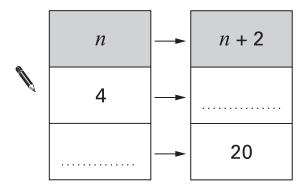


$$\frac{1}{12} + \frac{1}{4} =$$

$$\frac{1}{2} + \frac{1}{4} =$$

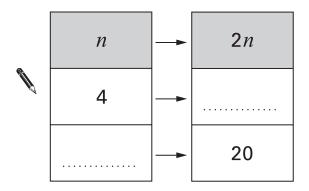
$$\frac{1}{3} - \frac{1}{6} =$$

8. (a) A function maps the number n to the number n + 2 Complete the missing values.



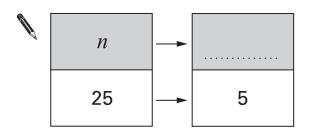
. . . . 1 mark

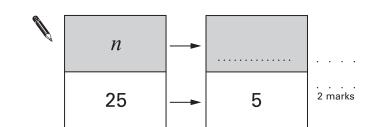
(b) A different function maps the number n to the number 2n Complete the missing values.



1 mark

(c) Many different functions can map the number 25 to the number 5Complete the tables by writing two different functions.

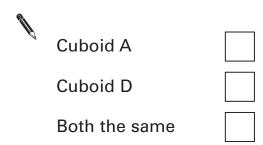




9. You can make only four different cuboids with 16 cubes.

	С	Dimension	ıs
Cuboid A	1	1	16
Cuboid B	1	2	8
Cuboid C	1	4	4
Cuboid D	2	2	4

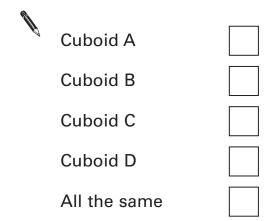
(a) Which of the cuboids A and D has the larger surface area?Tick (✓) the correct answer below.



Explain how you know.

(b) W	hich cubo	oid has th	ne largest	volume?
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Tick (\checkmark) the correct answer below.



. . . . 1 mark

(c) How many of **cuboid D** make a cube of dimensions $4 \times 4 \times 4$?



. . . . 1 mark

(d) You can make only six different cuboids with 24 cubes.

Complete the table to show the dimensions.

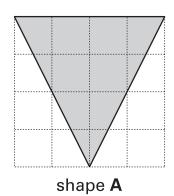
Two have been done for you.

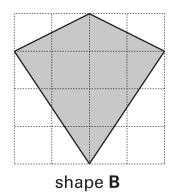
	D	imension	s
Cuboid E	1	1	24
Cuboid F	1	2	12
Cuboid G			
Cuboid H			
Cuboid I			
Cuboid J			

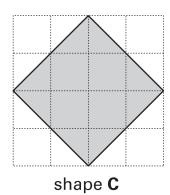
. . . .

3 marks

10. The shapes below are drawn on square grids.







(a)	Is sha	pe A	an	equilateral	triangle?	Tick ((✓)Yes	or No.
(u)	15 5114	pc A	an	cquiiaterai	citaligic:	I IOK	(* / 103	OI INO.

	Yes



Explain your answer.



1 mark

(b) Is shape **B** a **kite**?



Explain your answer.



. . . . 1 mark

(c) Is shape **C** a **square**?







Explain your answer.



. . . . 1 mark 11. Write the missing numbers in the table.

The first row is done for you.

First number	Second number	Sum of first and second numbers	Product of first and second numbers
3	6	9	18
5	-3		
-8		-5	





12. (a) Calculate $\frac{5}{6} \times \frac{3}{5}$

Show your working.

Write your answer as a fraction in its simplest form.



(b) Four-fifths of the members of a club are female.

Three-quarters of these females are over 20 years old.

What fraction of the members of the club are females over 20 years old? Show your working.



13. (a) Rearrange the equations.



$$b + 4 = a$$



$$4d = c$$

$$d = \dots$$

$$m - 3 = 4k$$

$$m = \dots$$

(b) Rearrange the equation to make t the subject. Show your working.

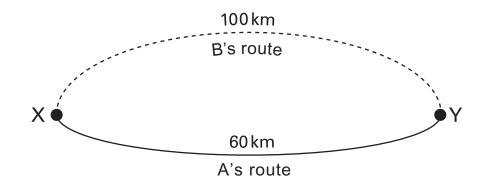


$$5(2+t)=w$$

 $t = \dots$

. . . . 2 marks 14. Two people, A and B, travel from X to Y along different routes.

Their journeys take the same amount of time.



B travels at an average speed of 40 km/h.

What is A's average speed?

Show your working.



15. (a) Ring the expression below that is the same as $y^2 + 8y + 12$



$$(y + 3)(y + 4)$$

$$(y + 7)(y + 1)$$

$$(y + 2)(y + 6)$$

$$(y + 1)(y + 12)$$

$$(y+3)(y+5)$$

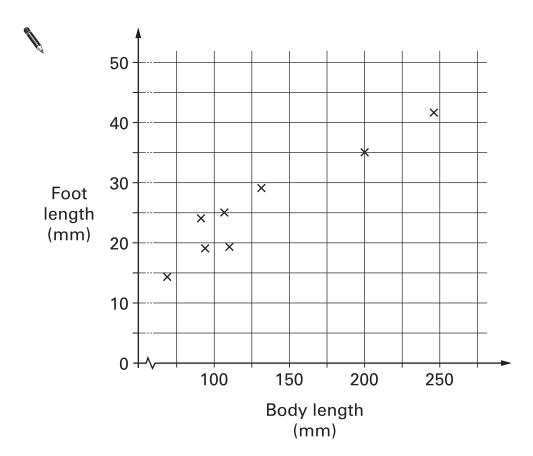
. . . . 1 mark

(b) Multiply out the expression (y + 9)(y + 2)Write your answer as simply as possible.



. 2 marks

16. The scatter graph shows the average body length and average foot length of different species of rodents.



(a) What does the scatter graph tell you about the **type of correlation** between the body length and foot length for these rodents?



(b) Draw a line of best fit on the scatter graph.



1 mark

(c) If body length increased by 50mm, by approximately how many millimetres would you expect foot length to increase?
Ring the correct value below.



2

7

15

50

275

(d)	An animal has a body length of 228mm , and foot length of 22mm .		
	Is this animal likely to be one of these species of rodents? Tick (✓) Yes or No.		
	Yes No		
	Explain your answer.		
		 1 mark	

17. I have two fair 4-sided dice.

One dice is numbered 2, 4, 6 and 8

The other is numbered 2, 3, 4 and 5

I throw both dice and add the scores.

What is the probability that the total is **even**?

You must show working to explain your answer.



18. The table shows a recipe for a fruit drink.

Type of juice	Amount
Orange	$\frac{1}{2}$ litre
Cranberry	$\frac{1}{3}$ litre
Grape	$\frac{1}{6}$ litre
	Total 1 litre

I want to make $1\frac{1}{2}$ litres of the same drink.

Complete the table below to show how much of each type of juice to use. Show your working.

Type of juice	Amount
Orange	litre
Cranberry	litre
Grape	litre
	Total $1\frac{1}{2}$ litres

19. Think about triangles that have

a perimeter of 15cm,
two or more equal sides,
and each side a whole number of centimetres.

Prove that there are only **four** of these triangles.

You do not need to construct the triangles.



END OF TEST

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